

Master Diver – Physics Revision Sheet

Facts

Sea water weights 64 lbs / cubic ft.

Fresh water weights 62.4 lbs / cubic ft.

Sea water exerts 1 ATM. pressure every 33 ft.

Fresh water exerts 1 ATM. pressure every 34 ft.

Atmospheric Pressure @ sea level = 1 ATM or 14.7 p.s.i.

Absolute Pressure = Water Pressure + Atmospheric Pressure

Absolute Temperature

°Kelvin = °Celsius + 273

°Rankin = °Fahrenheit + 460

Air = 78.084% N₂ + 20.946% O₂ + 0.033% CO₂ + 0.934 Inert gases

Equations

1. Absolute Pressure (ATA) = $(\frac{\text{depth}}{33}) + 1$ (or 34 if fresh water)
2. Wet weight = Dry weight – Buoyancy
3. Buoyancy = volume x 64 (or 62.4 if fresh water)
4. Surface Air Consumption (SAC) = $\frac{\text{rate at depth}}{\text{ATA}}$
5. Consumption Rate at depth = SAC x ATA
6. Cylinder contents = $(\frac{\text{contents in psi}}{\text{working pressure}}) \times \text{Cylinder size}$
in cubic ft
7. Cylinder contents = $(\frac{\text{contents in cubic ft}}{\text{cylinder size}}) \times \text{working pressure}$
in psi
8. Partial Pressure (pp) of a gas at depth = pp at surface x ATA

(note – No 7 and 8 - working pressure is commonly 3000 psi and cylinder size is commonly 80 Cubic ft.)

Gas Laws

Boyles Law – Pressure and volume of a gas in a flexible or open container are inversely proportional.

$$P_1 V_1 = P_2 V_2 \quad (\text{ assuming temperature is constant })$$

Charles Law – Temperature and volume of a gas are directly proportional

$$V_1/T_1 = V_2/T_2 \quad (\text{ assuming pressure is constant })$$

Amontons Law (also known as Lussacs Law) – Temperature and pressure are directly proportional

$$P_1/T_1 = P_2/T_2 \quad (\text{ assuming volume is constant })$$

General Gas Law

$$\frac{P_1 V_1}{T_1} = \frac{P_2 V_2}{T_2}$$

**** always use absolute temperature and absolute pressure in the above equations**

Archimedes' Principle : an object partially or wholly immersed in a fluid is buoyed up by a force equal to the weight of the fluid displaced by that object.

Henry's Law: The amount of gas that will dissolve into solution is directly proportional to the partial pressure of the gas and inversely proportional to the absolute temperature.

Dalton's Law: The pressure exerted by a mixed gas is equal to the sum of the partial pressures of its components. (The partial pressure of a gas is the pressure it would exert if it alone occupied the entire volume of a mixture.)

Sample Questions.

Q1. What is the difference in weight between 5 cubic ft of sea water and 5 cubic ft of fresh water?

A1. Using the facts

Sea water weights 64 lbs / cubic ft.
Fresh water weights 62.4 lbs / cubic ft.

5 cubic ft of sea water weights $5 \times 64 = 320$ lbs
5 cubic ft of fresh water weights $5 \times 62.4 = 312$ lbs

therefore the difference is $320 - 312 = 8$ lbs

Q2. How many 50 lb lift bags are required to recover an anchor from the ocean with a dry weight of 320 lbs and a volume of 2 cubic ft.?

A2. Using the following equations

2. Wet weight = Dry weight – Buoyancy
3. Buoyancy = volume x 64

Buoyancy = $2 \times 64 = 128$ lbs
Wet weight = $320 - 128 = 192$

Therefore total number of 50lb lift bags = $192/50 = 4$

Q3. What is the absolute pressure at 57 ft of sea water?

A3.

Using the equation

1. Absolute Pressure (ATA) = $(\frac{\text{depth}}{33}) + 1$

ATA = $(\frac{57}{33}) + 1 = 2.727$ ATA

Q4. A balloon has a volume of 12 cubic inches at 33 fsw (feet of sea water) what is the volume at 132 fsw?

A4. Using equation

$$1. \text{ Absolute Pressure (ATA)} = \left(\frac{\text{depth}}{33} \right) + 1$$

$$\text{Absolute Pressure @ 33fsw (P1)} = \left(\frac{33}{33} \right) + 1 = 2 \text{ ATA}$$

$$\text{Absolute Pressure @ 132fsw (P2)} = \left(\frac{132}{33} \right) + 1 = 5 \text{ ATA}$$

And then using Boyles Law

$$P1 V1 = P2 V2$$

$$2 \times 12 = 5 \times V2$$

$$V2 = \frac{(2 \times 12)}{5} = 4.8 \text{ cubic inches}$$

Q5. How much is an air consumption rate of 40 psi/min using a standard 3000psi / 80 Cubic ft tank in cubic ft per min.

A5. Using equation

$$6. \text{ Cylinder contents} = \left(\frac{\text{contents in psi}}{\text{working pressure}} \right) \times \text{Cylinder size in cubic ft}$$

$$\text{Rate in cubic ft / min} = \left(\frac{40}{3000} \right) \times 80 = 1.067 \text{ cubic ft / min}$$

Q6. If you have a SAC rate of 25 psi / min how long will a tank charged to 3000 psi last at 90ft if the diver wishes to start the ascent with 1000 psi.

A6 Using equation

$$2. \text{ Absolute Pressure (ATA)} = \left(\frac{\text{depth}}{33} \right) + 1$$

$$\text{ATA @ 90ft} = \left(\frac{90}{33} \right) + 1 = 3.7 \text{ ATA}$$

And then

$$5. \text{ Consumption Rate at depth} = \text{SAC} \times \text{ATA}$$

$$\text{Consumption Rate at 90ft} = 25 \times 3.7 = 92.5$$

The diver has 3000 psi but wishes to ascend with 1000 remaining therefore we need to calculate how long 3000 – 1000 = 2000 psi will last

$$\frac{2000}{92.5} = 21 \text{ mins. (approx.)}$$

Q6. How much air (in cubic feet) is in a 3000 psi / 80- cubic ft tank when the guage reads 2400 psi ?

A6. Using equation

6. Cylinder contents = $(\frac{\text{contents in psi}}{\text{working pressure}}) \times \text{Cylinder size}$
in cubic ft

$$\text{Cylinder contents in cubic ft} = (\frac{2400}{3000}) \times 80 = 64 \text{ cubic ft.}$$

Q7. What is the ppO2 (partial pressure of oxygen) in ATA at 50ft

A7. Using equation

1. Absolute Pressure (ATA) = $(\frac{\text{depth}}{33}) + 1$

$$\text{ATA} = (\frac{50}{33}) + 1 = 2.5$$

And then

Air = 78.084% N2 + 20.946% O2 + 0.033% CO2 + 0.934 Inert gases

8. Partial Pressure (pp) of a gas at depth = pp at surface x ATA

$$\text{ppO}_2 @ 50\text{ft} = .20946 \times 2.5 = .52365 \text{ ATA}$$

Q8. A diver is at 20ft in a lake, the temperature is 75 °F, she has 4 liters of air in her BC. She descends to 60ft where the temperature is 55 °F, how many liters of air is in her BC now ?

A8. Using **General Gas Law**

$$\frac{P_1 V_1}{T_1} = \frac{P_2 V_2}{T_2}$$

Remember to convert all pressures and temperatures to ABSOLUTE values, and note this is a LAKE .. so this must be FRESH water.

$$P_1 = (\frac{20}{34}) + 1 = 1.59$$

$$V_1 = 4$$

(** liters is a measure of volume)

$$T_1 = 75 + 460 = 535$$

$$P_2 = (\frac{60}{34}) + 1 = 2.76$$

$$V_2 = ??$$

$$T_2 = 55 + 460 = 515$$

$$\frac{1.59 \times 4}{535} = \frac{2.76 \times V_2}{515}$$

$$V_2 = \frac{1.59 \times 4 \times 515}{535 \times 2.76} = 2.21$$